



# Simulation of Electronic Devices at the Classical-Quantum Transition Scale

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## Projects\*

- Wigner function and transfer-matrix modeling of macroscopic quantum devices in 3-D
- Quantum corrections to classical drift-diffusion and hydrodynamic models in 3-D (with Lucent Technologies, Stanford University)
- Collaborative TCAD tool development (with Stanford University)

(\*for details, see <http://www.nas.nasa.gov/~biegel/research.html>)

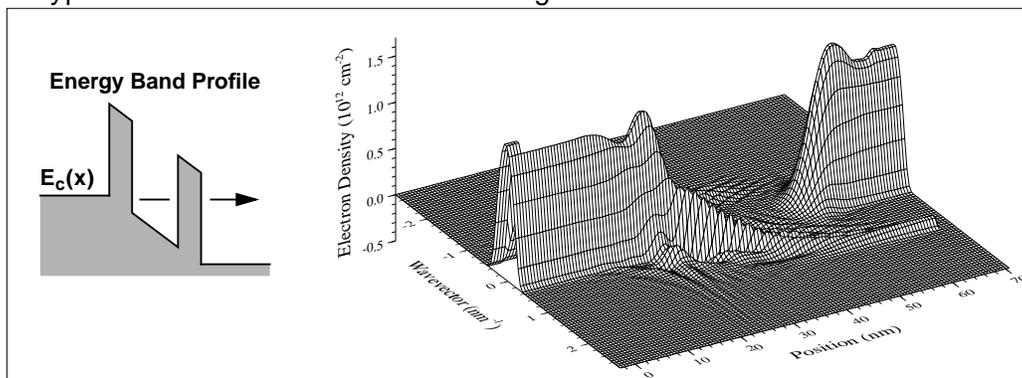


## Quantum Device Simulation: the Wigner Function Model

Wigner Function transport equation in 1-D:

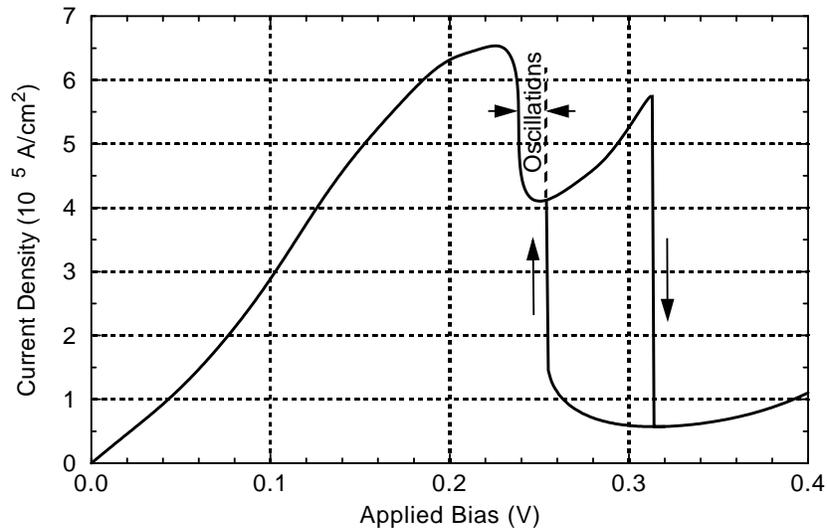
$$\frac{\partial f_w}{\partial t} = - \underbrace{\frac{\hbar k}{m} \frac{\partial f_w}{\partial x}}_{\text{diffusion}} - \underbrace{\frac{1}{\hbar} \int \frac{dk'}{2\pi} V(x, k-k') f_w(x, k')}_{\text{drift}} + \underbrace{\left[ \frac{\partial f_w}{\partial t} \right]_{\text{coll}}}_{\text{scattering}}$$

Typical simulation: Resonant tunneling diode in 1-D:





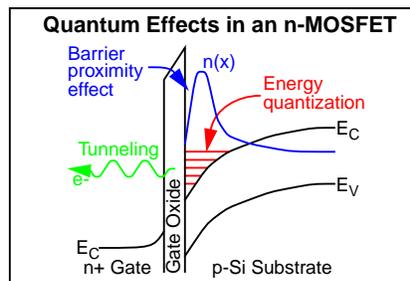
## RTD Intrinsic Oscillations, Hysteresis, Bistability: Wigner Function Model Results



## Plans for Wigner Function Model



- Accurate discretization of transport equation
  - consistent with other quantum models, experiment
- Computationally feasible 2-D (3-D?) simulations
- Application to quantum effects in conventional devices (MOSFET)





# Quantum Corrections to Drift-Diffusion: the Density-Gradient Model

Density-Gradient Model [Ancona, *PRB* 39(13), 9536]:

$$\nabla \cdot (\epsilon \nabla \psi) = -q(p - n + N_D^+ - N_A^-)$$

$$\frac{\partial n}{\partial t} = \nabla \cdot [D_n \nabla n - n \mu_n \nabla(\psi + \psi_{qn})]$$

$$\frac{\partial p}{\partial t} = \nabla \cdot [D_p \nabla p + p \mu_p \nabla(\psi + \psi_{qp})]$$

Quantum potentials:

$$\psi_{qn} \equiv 2b_n \left( \frac{\nabla^2 \sqrt{n}}{\sqrt{n}} \right), \psi_{qp} \equiv -2b_p \left( \frac{\nabla^2 \sqrt{p}}{\sqrt{p}} \right), b_{n,p} \equiv \frac{\hbar^2}{12m_{n,p}^* q}$$

Investigative approach:

- Rapid implementation using general PDE solver (PROPHET)

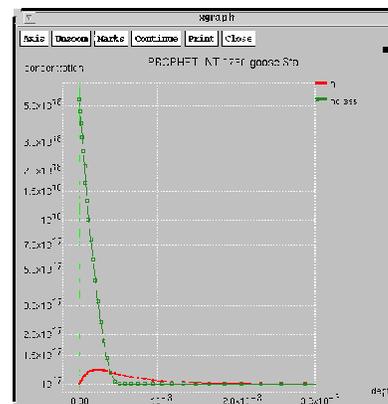
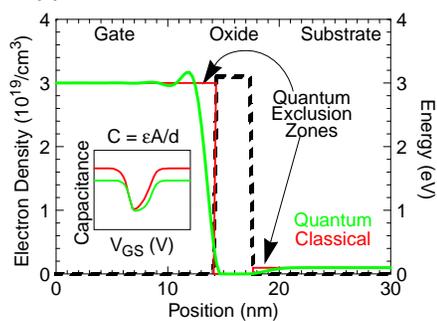


# Density Gradient Model Initial Results

Expected Results

Electron Density Profile  
(Conor Rafferty, Lucent)

MOSFET with 3.3 nm Gate-Oxide:  
C(x) and C-V With Quantum Correction





## Plans for Quantum Correction Models



Density-Gradient Model:

- Proof-of-concept for 1-D MOS Capacitor
- First 2-D and 3-D quantum-corrected MOSFET simulations
- Radiation effects, single-event upset phenomena
- Comparison with experimental results for ultra-small devices
- Comparison with other classical and quantum models

Quantum-Hydrodynamic Model:

- (see above)

Answer industry's questions about quantum effects in electronic devices:

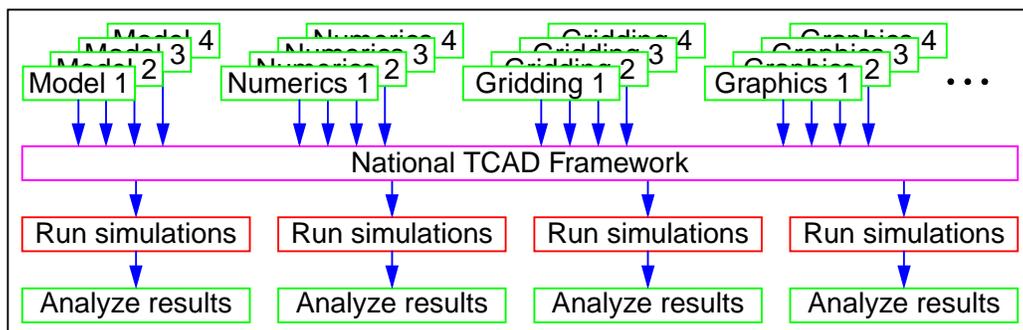
- How severe will these effects become with each device generation?
- How can these effects be suppressed?
- How can these effects be used to improve device operation?



## New TCAD Development Approach: National TCAD Framework (NTF)



Modular TCAD development platform



- Enables and encourages collaboration
- Well-defined functional interfaces
- Basic “glue” services

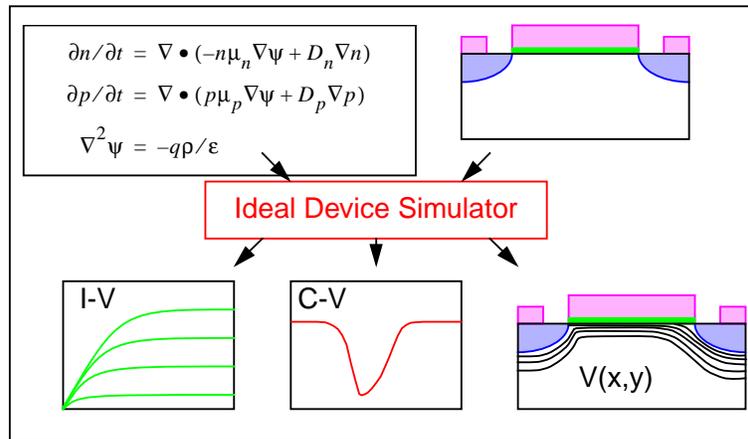
Multiply usefulness of high-level functionality



## Model Developer Environment



Model specified as set of PDEs, constraints



Ideally, model independent of other code

Practically, collaborate with numerical experts



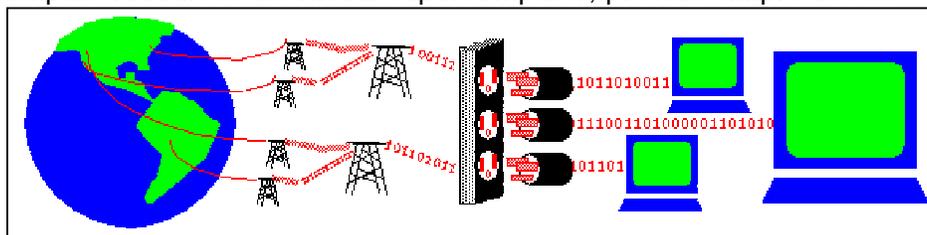
## Information Power Grid (IPG)



Observations:

- Many computations of interest (e.g., TCAD) beyond feasibility
- High percent of CPU cycles are wasted "bit-flips"

IPG goal: To link massive numbers of heterogeneous, distributed compute resources as virtual supercomputer; provide simple access



Principal benefits:

- transparent resource access
- load sharing/balancing
- fault tolerance, minimum loss-of-service
- economies of scale